

# What can we learn from gamma-ray anisotropies?

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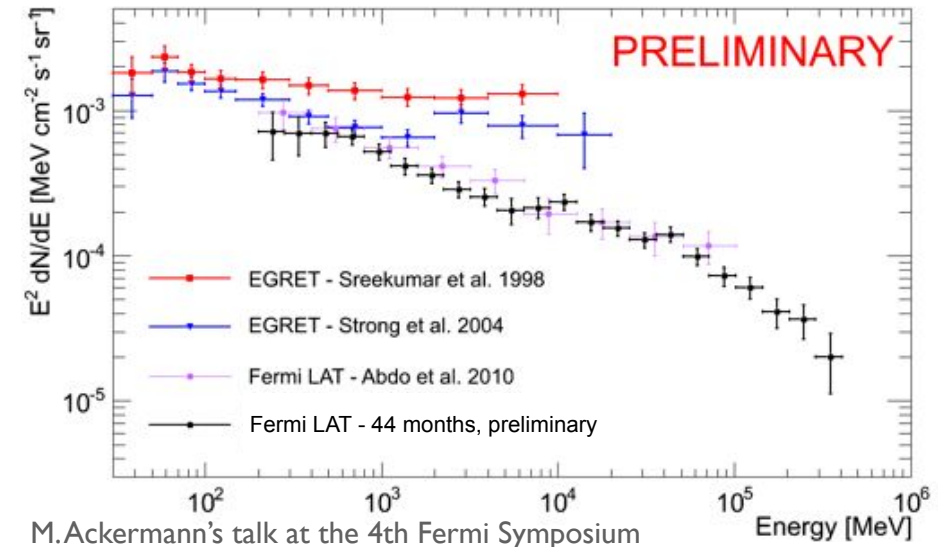
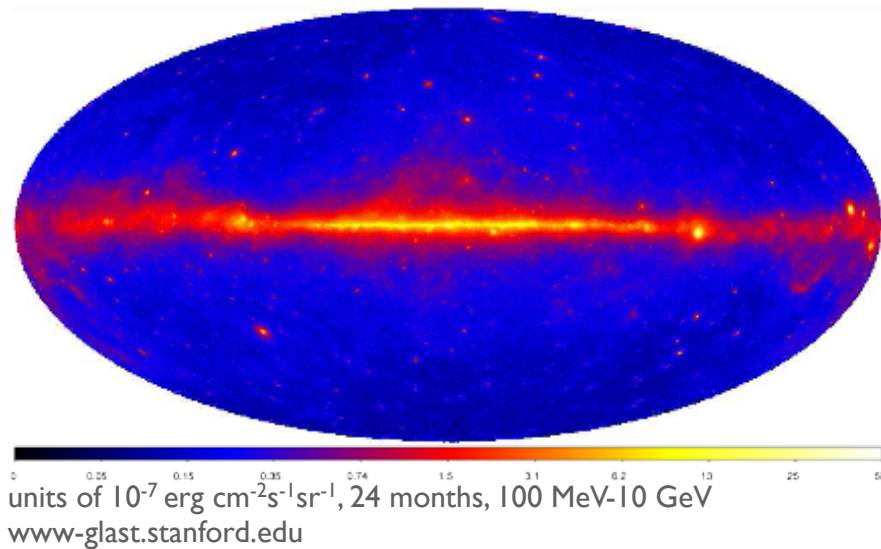
# Motivation

Indirect detection of Dark Matter (DM): gamma-rays produced by annihilations or decays of DM particles

Focus on the Diffuse Gamma-Ray Background (DGRB): looking for the cumulative emission produced by DM annihilations/decays in the all DM halos and subhalos

- unresolved sources (DM is dark!)
- signal depends on the average properties of DM (sub)halos
- tightly connected to astrophysics
- study of anisotropies can be more informative than focusing on intensity and is linked to Large Scale Structure

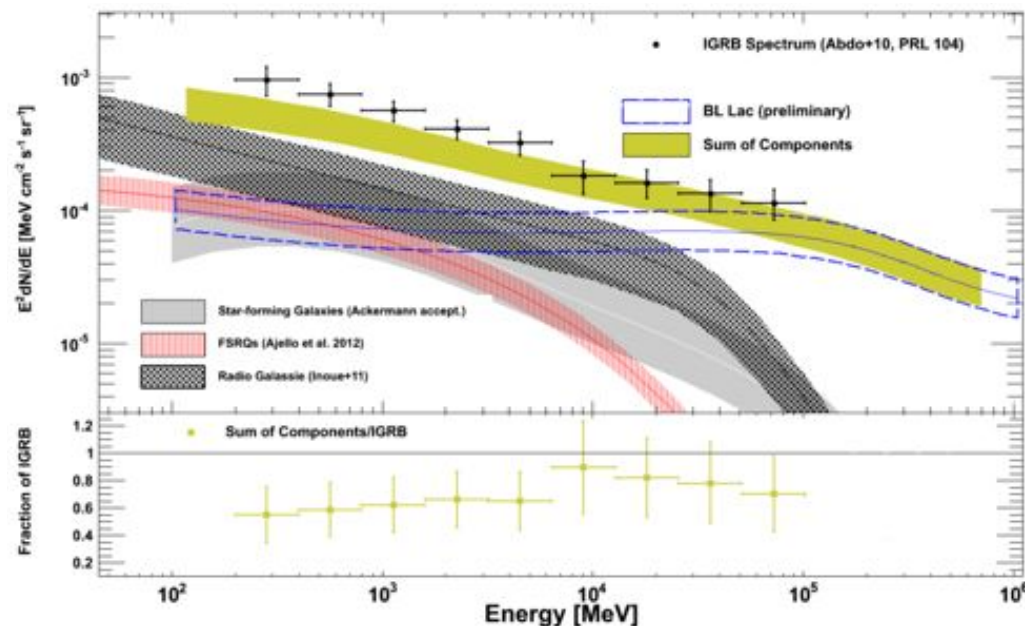
# The Diffuse Gamma-Ray Background (DGRB)



- residual emission after subtraction of Galactic foreground and point-sources
- multicomponent fit to Fermi-LAT data (0.2-820 GeV) in the region  $|b| > 10^\circ$
- compatible with power-law energy spectrum with a slope of -2.4, possible softening at high energies

# The nature of the DGRB

- unresolved counterparts of the detected sources (blazars, star-forming galaxies, radio galaxies, ...)
- population studies (possibly at higher frequencies) estimate the unresolved component
- room for additional classes of sources



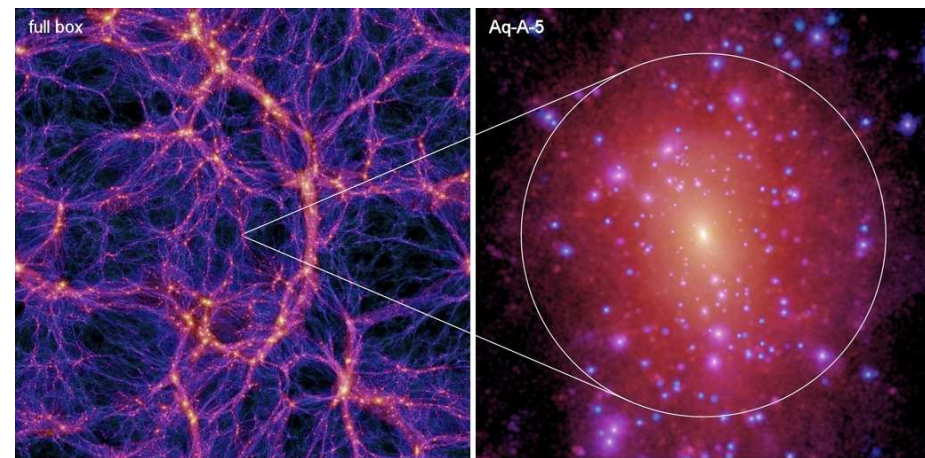
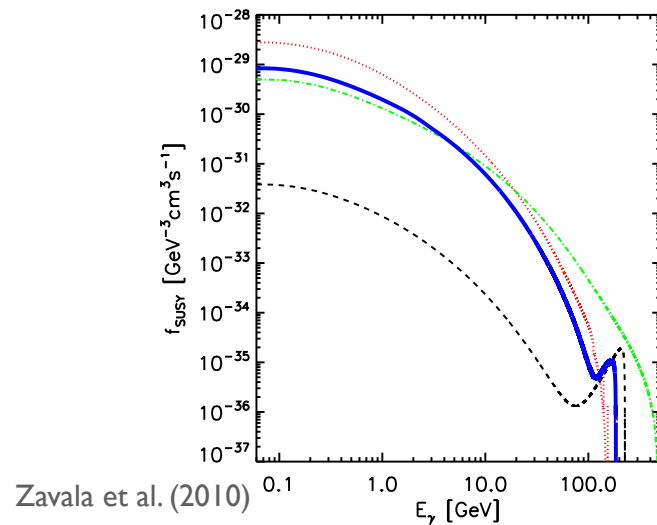
M.Ackermann's talk at the 4th Fermi Symposium



# DM-induced emission

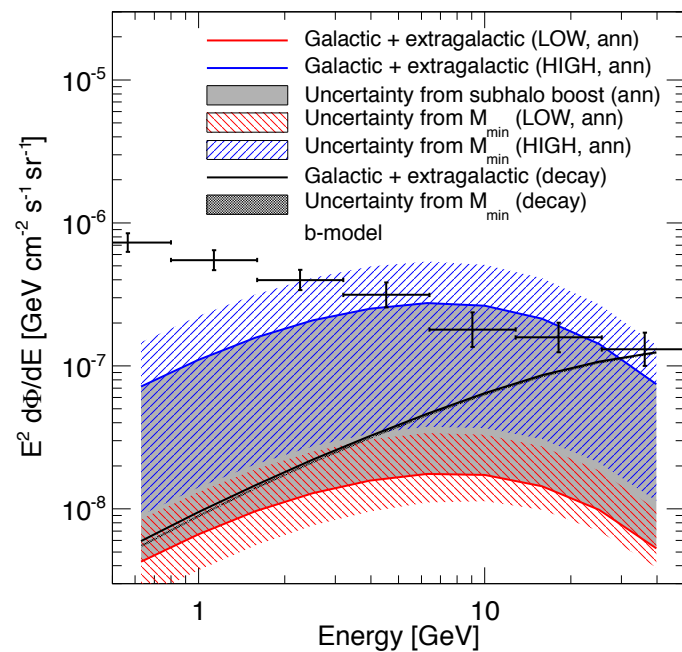
$$\frac{d\Phi}{dE}(E_\gamma, \Psi) = \frac{(\sigma_{ann} v)}{8\pi m_\chi^2} \int_{\text{l.o.s}} d\lambda \sum_i B_i \frac{dN_\gamma^i(E_\gamma(1+z))}{dE} \rho^2(\lambda(z), \Psi) e^{-\tau_{\text{EBL}}(z, E_\gamma)}$$

- photon yield: prompt emission (continuum, lines and spectral features), Inverse Compton and hadronic emission
- modelling of DM halos come from  $N$ -body simulations
- simulations have a mass resolution and (normally) do not include baryonic physics

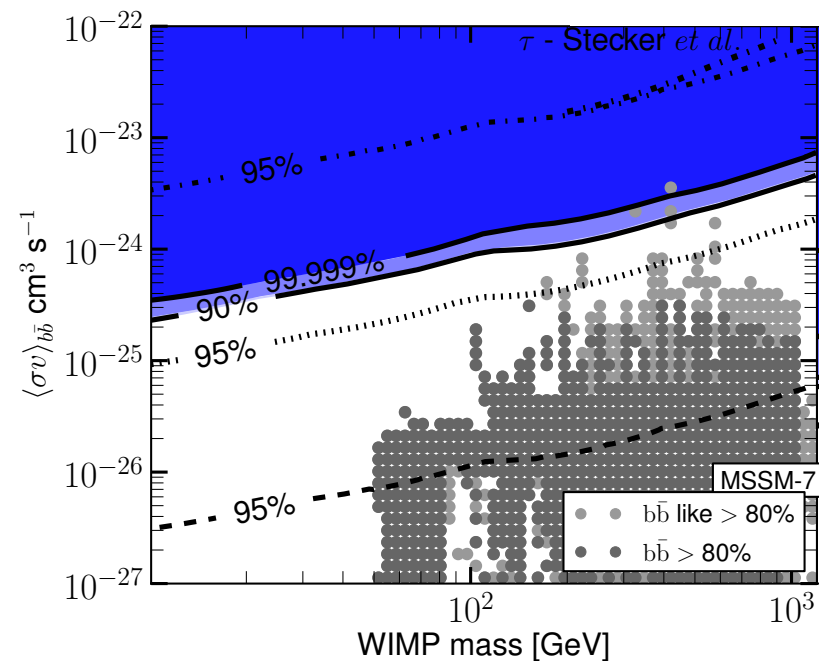


# Constraining DM with the DGRB intensity

- estimate DM-induced gamma-ray emission from all halos and subhalos around us
- main uncertainties are the value of  $M_{\min}$  and the amount of subhalos



$E=4$  GeV,  $M_{\min}=10^{-6}M_{\odot}$ ,  $m_{\chi}=200$  GeV,  $\sigma v=3 \times 10^{-26} \text{cm}^3 \text{s}^{-1}$  (annihilation),  $m_{\tilde{\chi}}=2$  TeV,  $\tau=2 \times 10^{27} \text{s}$  (decay),  $b$  quarks  
Fornasa et al. (2012)



Abdo et al. (2012)

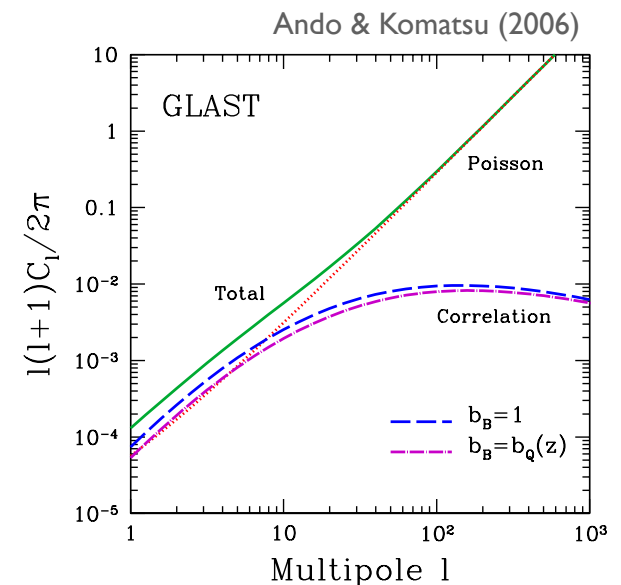
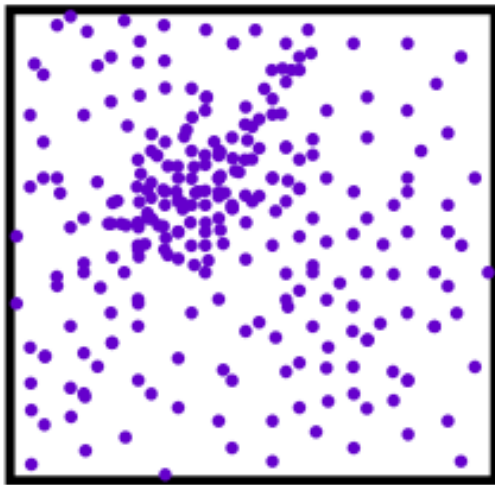
# Anisotropies in the DGRB

- Angular Power Spectrum (APS) quantifies the fluctuations in a 2D map

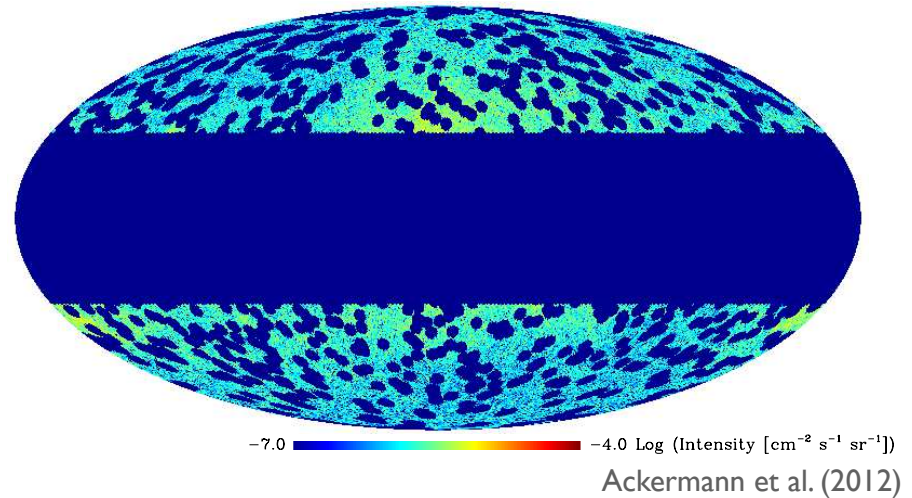
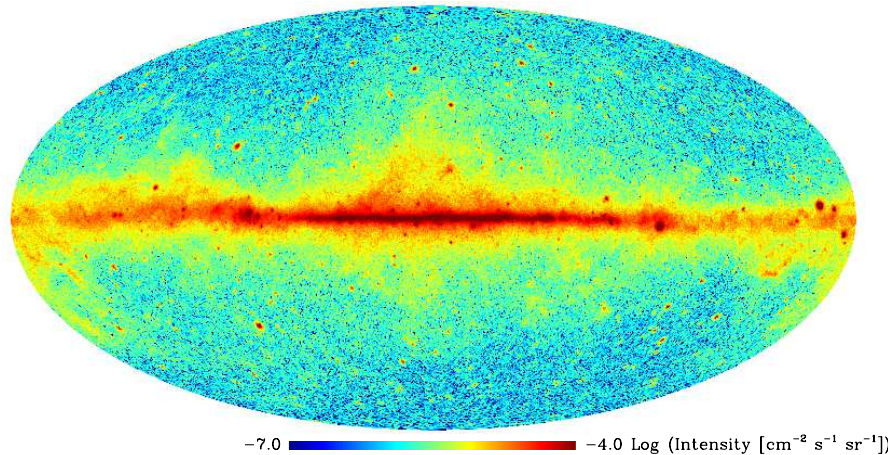
$$a_{\ell,m}^{\text{fluct}} = \int d\Omega_{\mathbf{n}} \frac{I(\mathbf{n}) - \langle I \rangle}{\langle I \rangle} Y_{\ell,m}^*(\mathbf{n})$$

$$C_{\ell}^{\text{fluct}} = \sum_{|m| \leq \ell} |a_{\ell,m}^{\text{fluct}}|^2$$

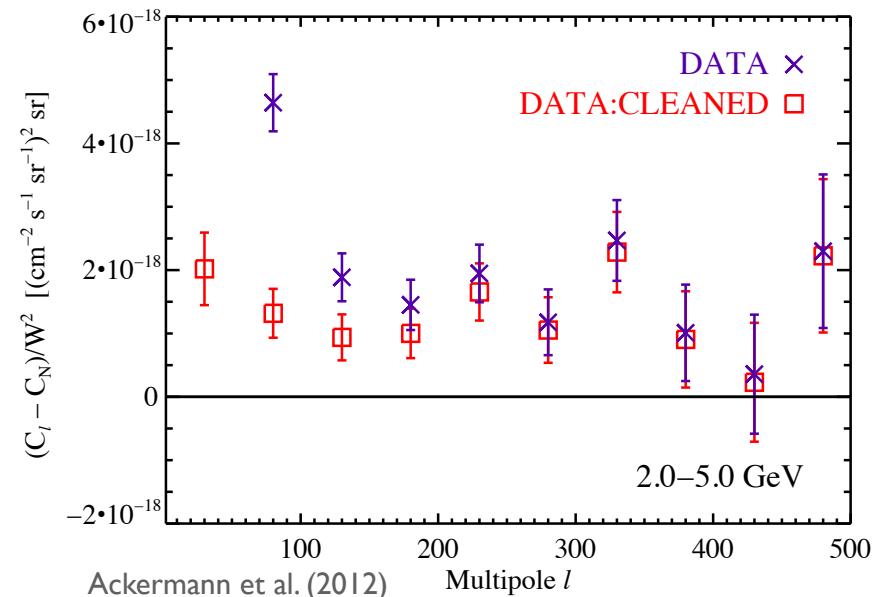
- Poisson power spectrum (constant in multipole): depends on the number of sources
- photon noise (again Poisson-like)



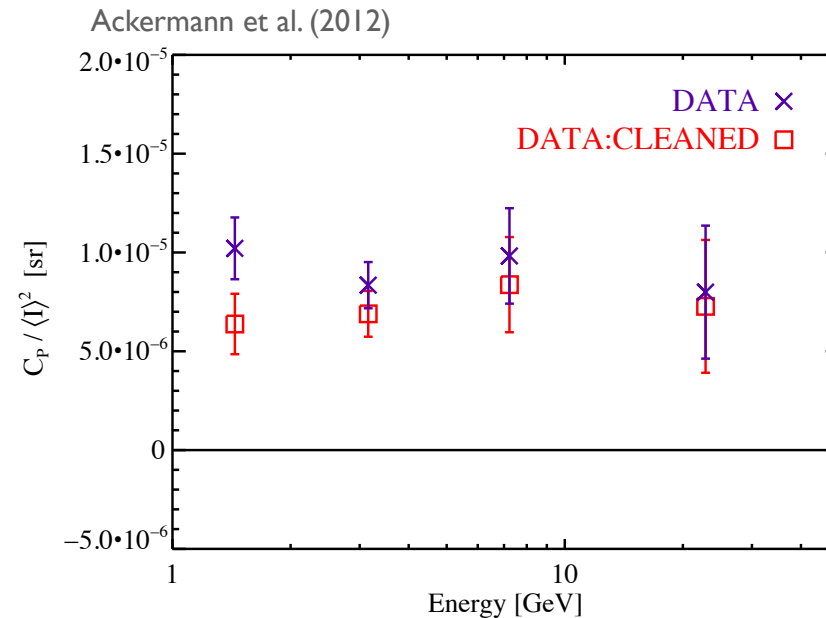
# Fermi-LAT measurement of anisotropies



- Galactic foreground and point sources are masked not subtracted
- 22 months of data
- 4 energy bins between 1 and 50 GeV
- signal region between multipole 155 and 504

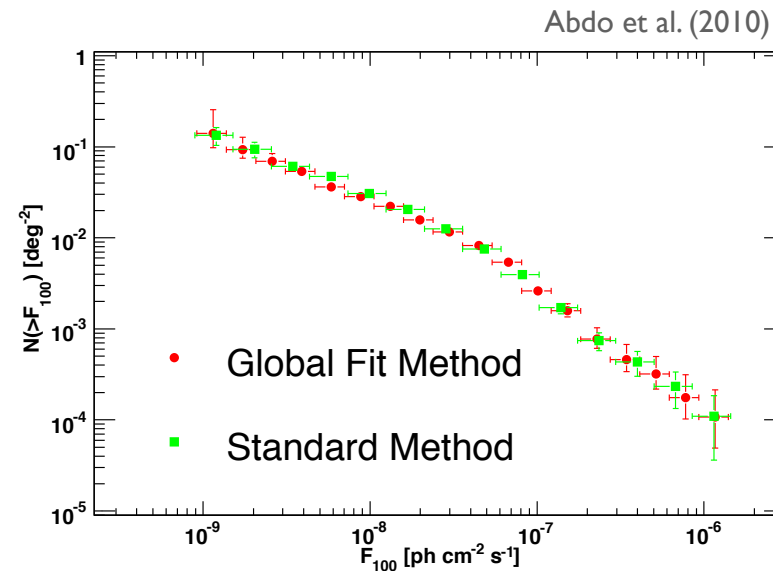
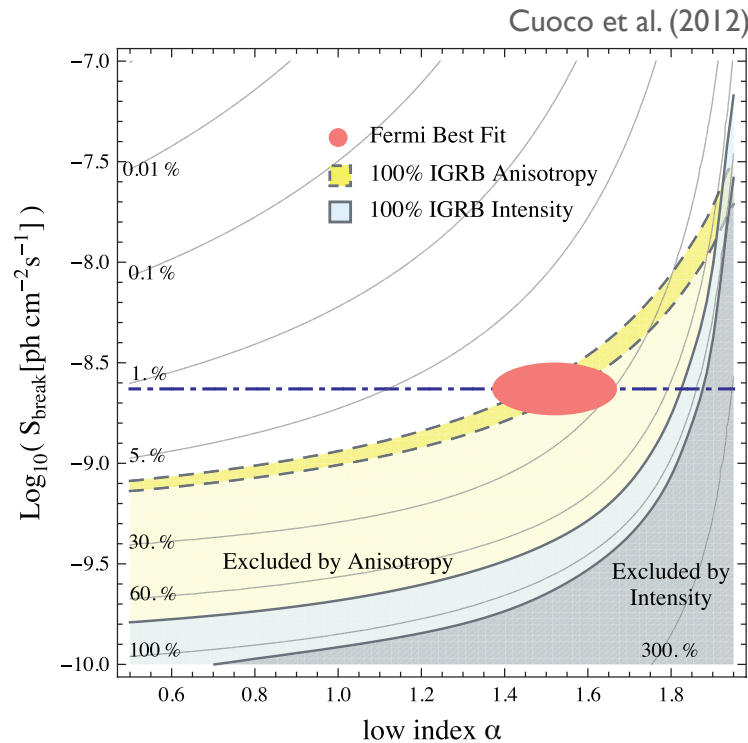


# Fermi-LAT measurement of anisotropies



- significance of the detection ranges from 7.1 to 2.4
- Poisson APS, constant in energy
- APS dominated by the contribution of unresolved blazars

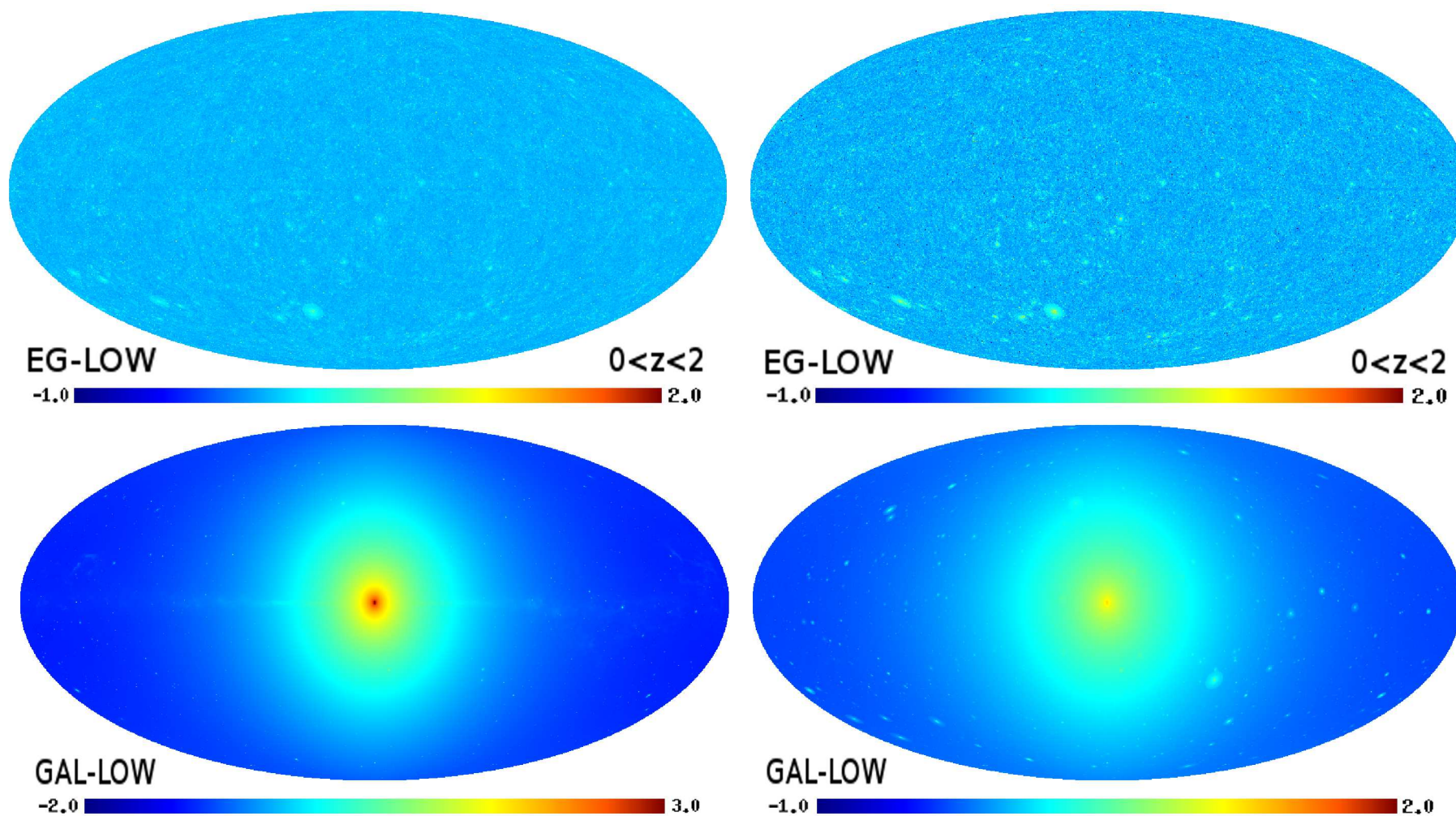
# APS constraints on blazars



- $S_{\text{break}}$  and  $\alpha$ : parameters modelling unresolved blazars  $dN/dS$
- Poisson APS constraints are stronger than the one from DGRB intensity
- Fermi-LAT APS measurement improves our knowledge of unresolved blazars (<24% of the DGRB intensity)

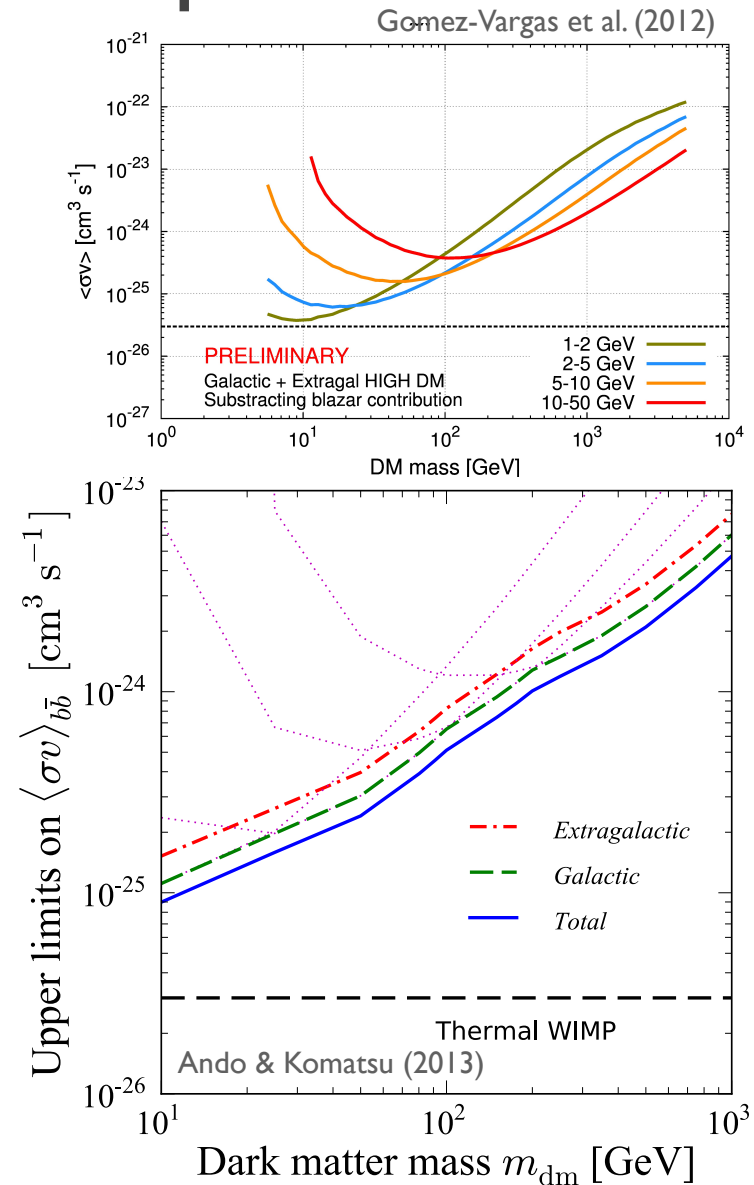
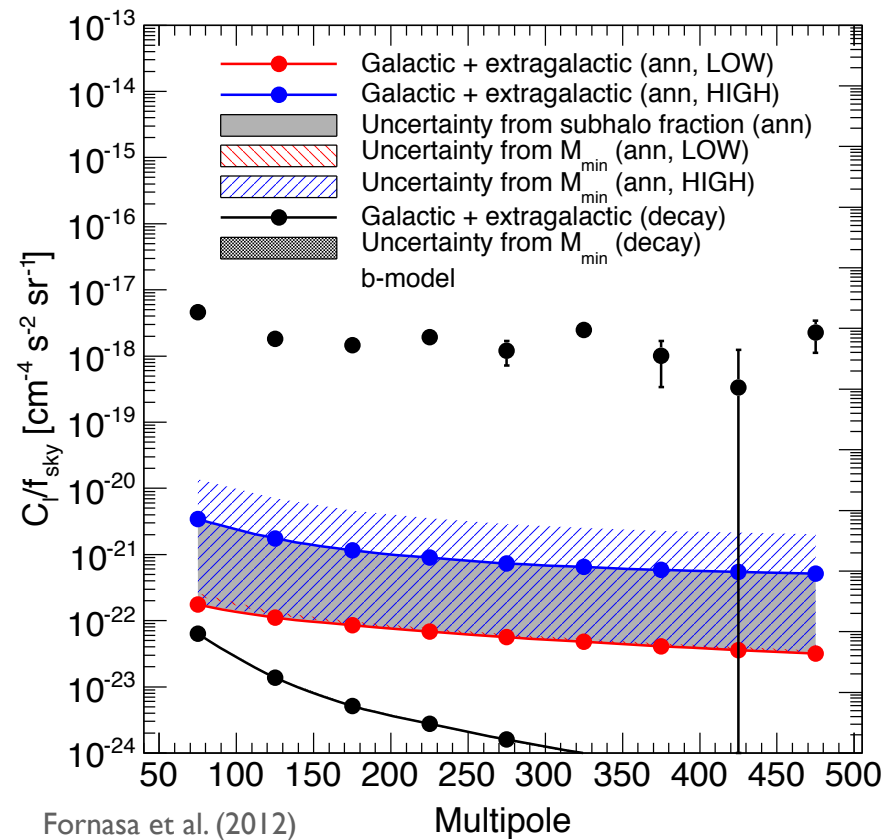


# DM-induced anisotropies



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Fornasa et al. (2012)

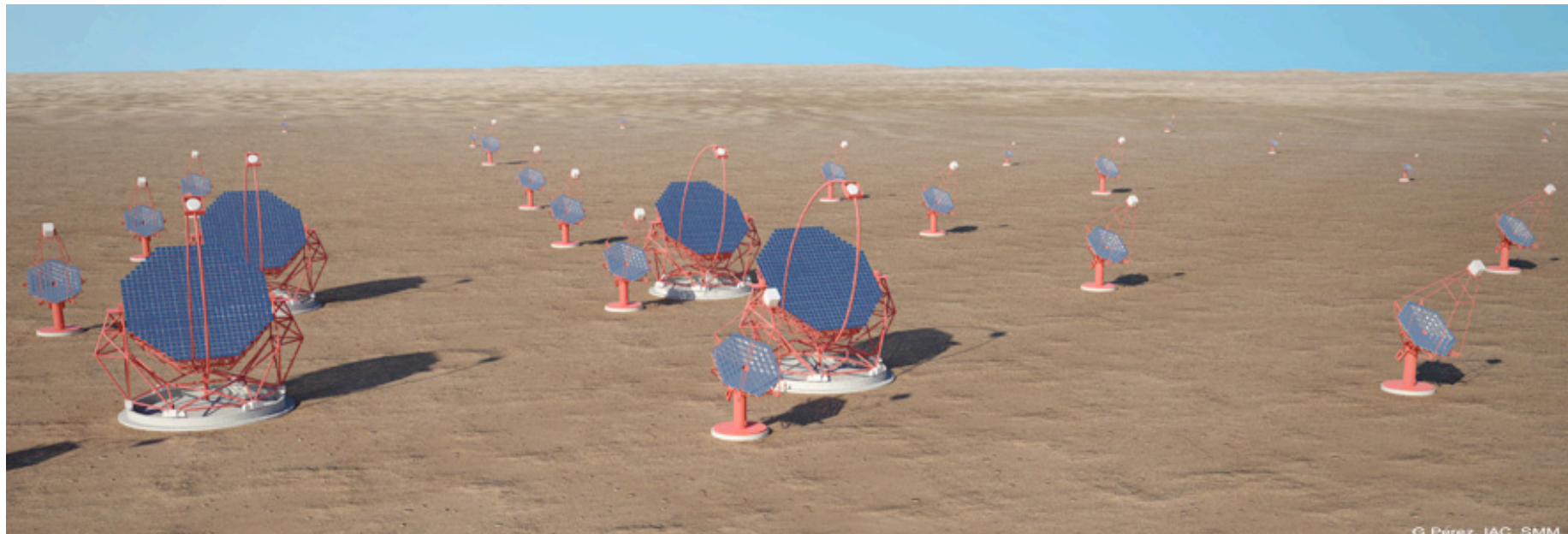
# DM-induced angular power spectrum





# Measuring anisotropies with CTA

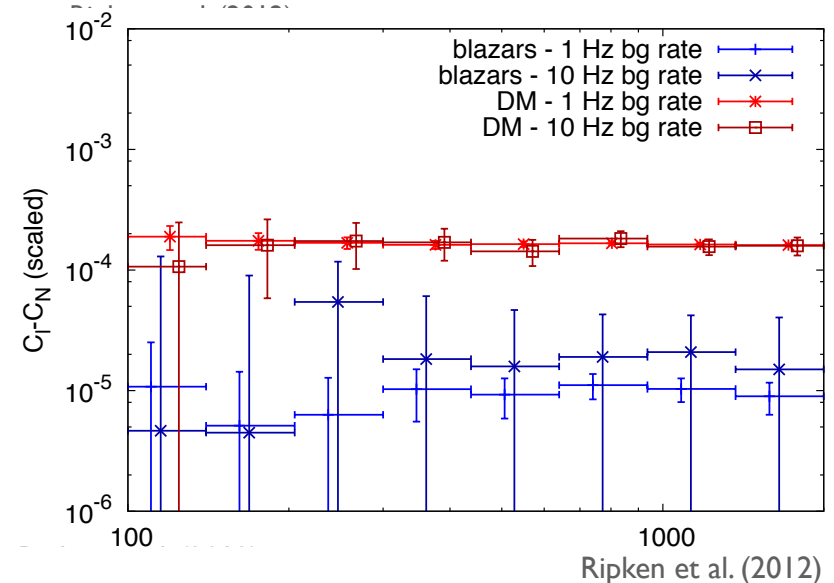
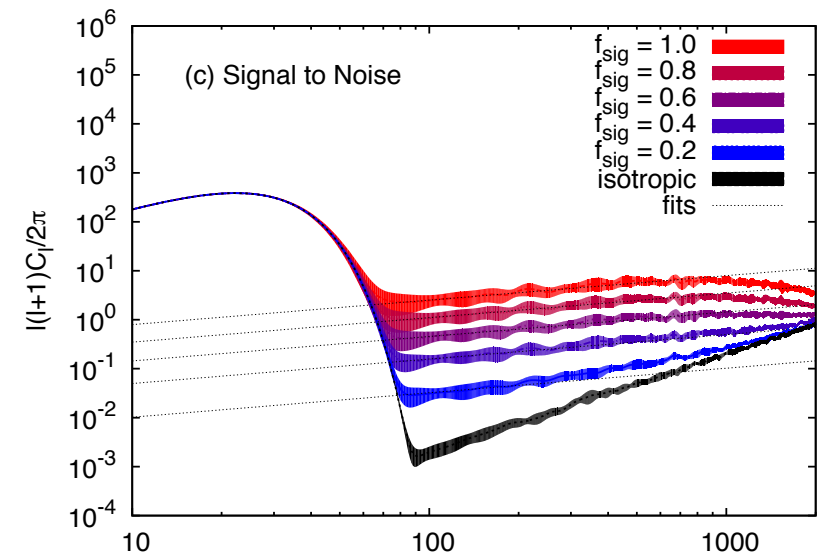
- building of CTA (Cherenkov Telescope Array) will start in 2015 and data gathering in 2018-2019
- improvement in sensitivity over the whole energy range (few tens of 10 GeV to 100 TeV)
- very large field of view and possibility of surveying the sky



# Measuring anisotropies with CTA

- inside 1 FOV (number of events sets the photon noise)
- fix APS from astrophysical sources (blazars) to  $C_P = 10^{-5}$  and add a DM component
- what is the contribution of DM to DGRB required to detect a deviation from the expected model APS?

Observation time [h]	Back. rate [Hz]	Sensitivity
100	1 (10)	30% (>46%)
300	1 (10)	15% (>46%)
1000	1 (10)	8% (30%)
10x100	1 (10)	15% (>46%)



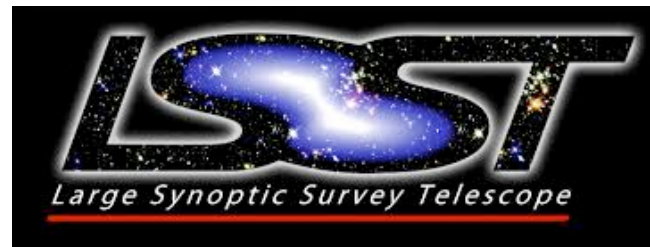
Ripken et al. (2012)

# Gamma-ray anisotropies and LSS

- gravitational lensing and the distribution of resolved galaxies trace Large Scale Structure (LSS)
- large amount of experimental data expected in the near future
- cross-correlation with the DGRB



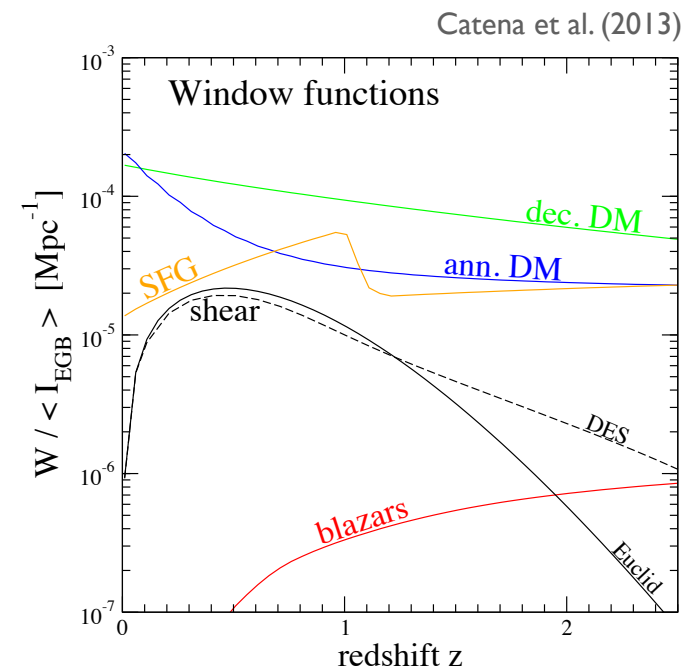
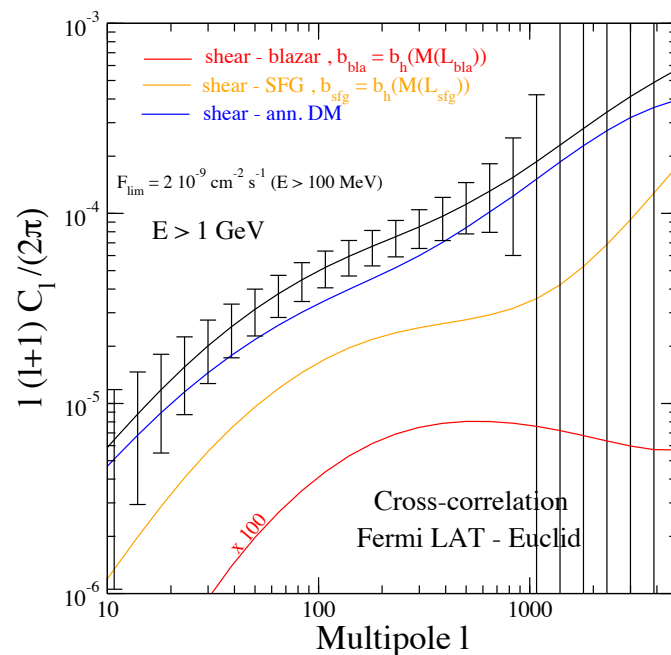
DARK ENERGY  
SURVEY



LOFAR

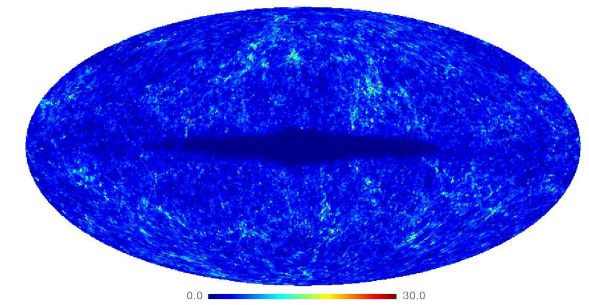
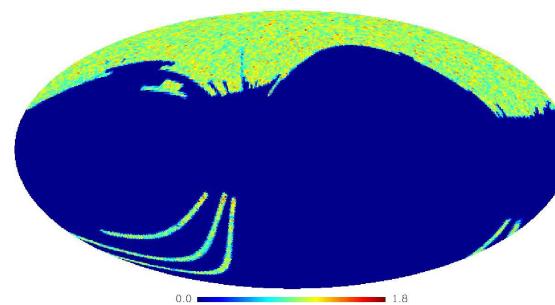
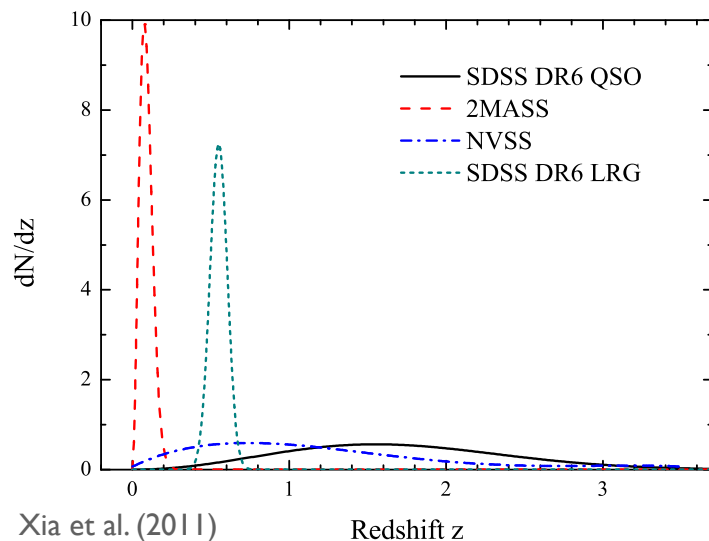
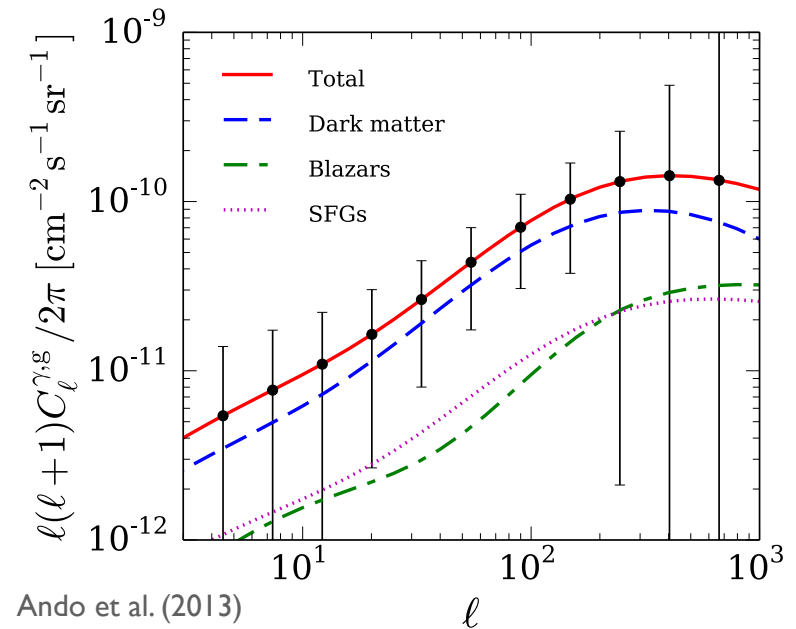
# Cross-correlation with cosmic shear

- weak gravitational lensing (cosmic shear) is sourced by the same objects that produce gamma-ray emission (DGRB)
- cross-correlation is expected
- cosmic shear is larger for big objects (large cross-correlation with DM halos)



# Cross-correlation with galaxy catalogs

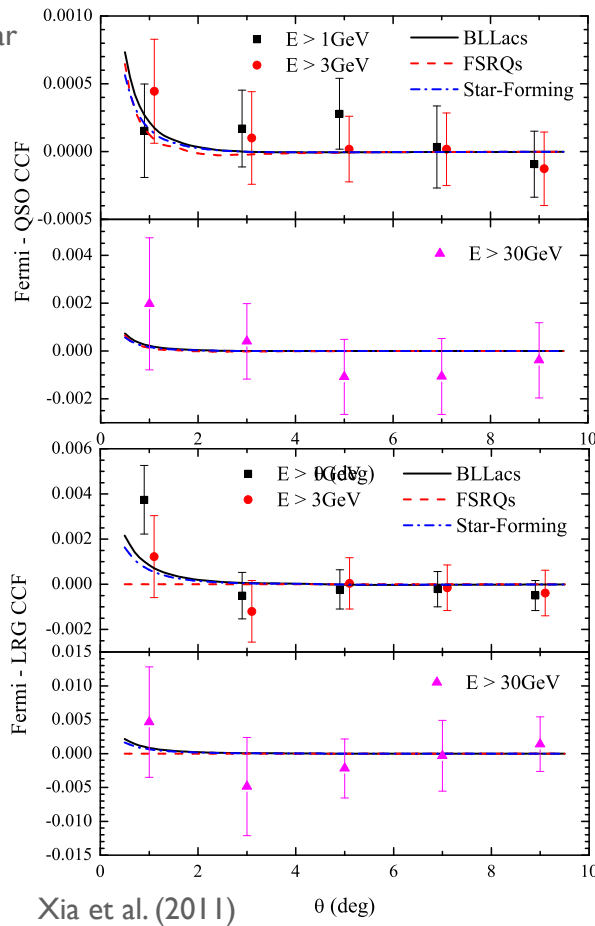
- distribution of galaxies traces LSS (again cross correlation is expected)
- SDSS Quasi-Stellar Objects
- 2MASS IR-selected galaxies
- NVSS Luminous Radio galaxies
- SDSS Luminous Red galaxies



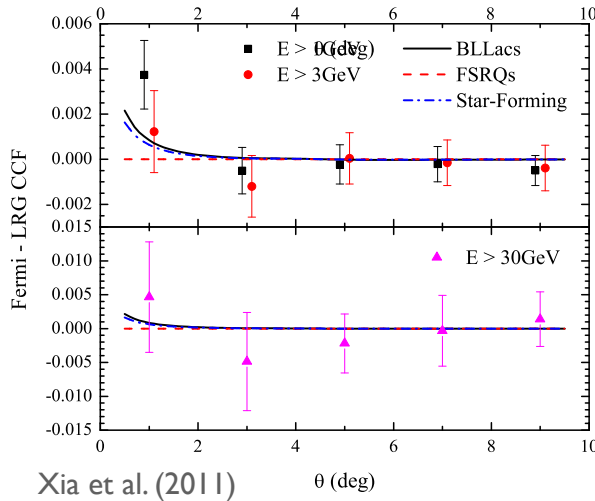
# 2-point correlation function

$$c(\theta) = \frac{1}{N_\theta} \sum_i \sum_{j \in \mathcal{N}(i, \theta)} \frac{n_i^\gamma - \bar{n}^\gamma}{\bar{n}^\gamma} \frac{n_j^{\text{gal}} - \bar{n}^{\text{gal}}}{\bar{n}^{\text{gal}}}$$

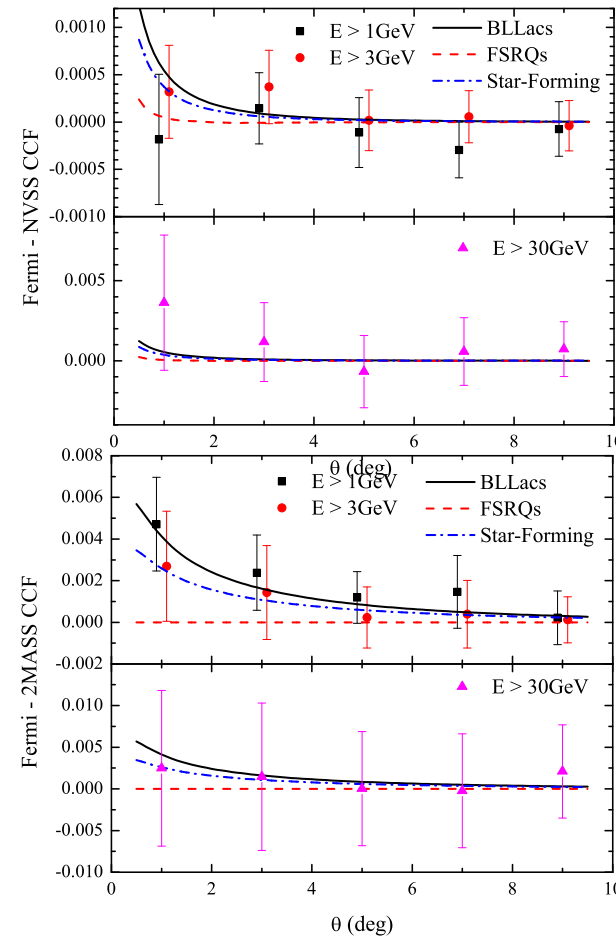
SDSS Quasi-Stellar  
objects



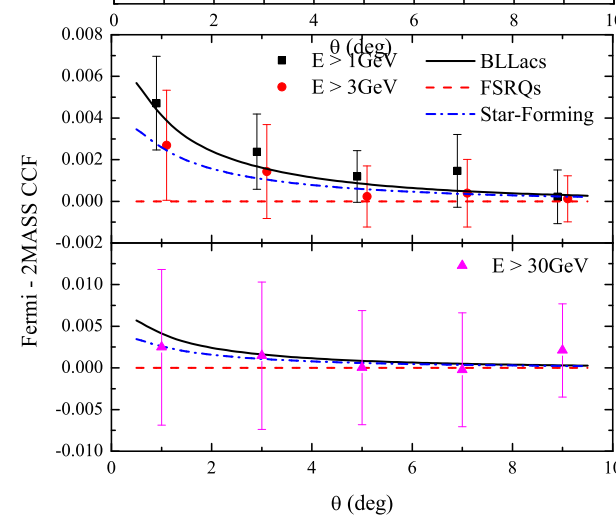
SDSS Luminous  
Red galaxies



NVSS Luminous  
Radio galaxies



2MASS galaxies



# Conclusions

- anisotropies in gamma-ray emission is a very rich and informative observable (both for DM and astrophysics)
- data are available from Fermi-LAT and have been successfully used to extract information on astrophysical sources and to put constraints on DM (compatible with the study of other targets)
- sensitivity of CTA to gamma-ray anisotropies is encouraging
- cross-correlation with cosmic shear and with galaxy catalogs: a way of suppressing astrophysical contribution and being more sensitive to DM
- interesting physics will be delivered by future surveys

# Fluctuation vs. intensity APS

- Fluctuation APS is a dimension-less quantity (independent on energy)

$$a_{\ell,m}^{\text{fluct}} = \int d\Omega_{\mathbf{n}} \frac{I(\mathbf{n}) - \langle I \rangle}{\langle I \rangle} Y_{\ell,m}^*(\mathbf{n})$$

$$C_{\ell}^{\text{fluct}} = \sum_{|m| \leq \ell} |a_{\ell,m}^{\text{fluct}}|^2$$

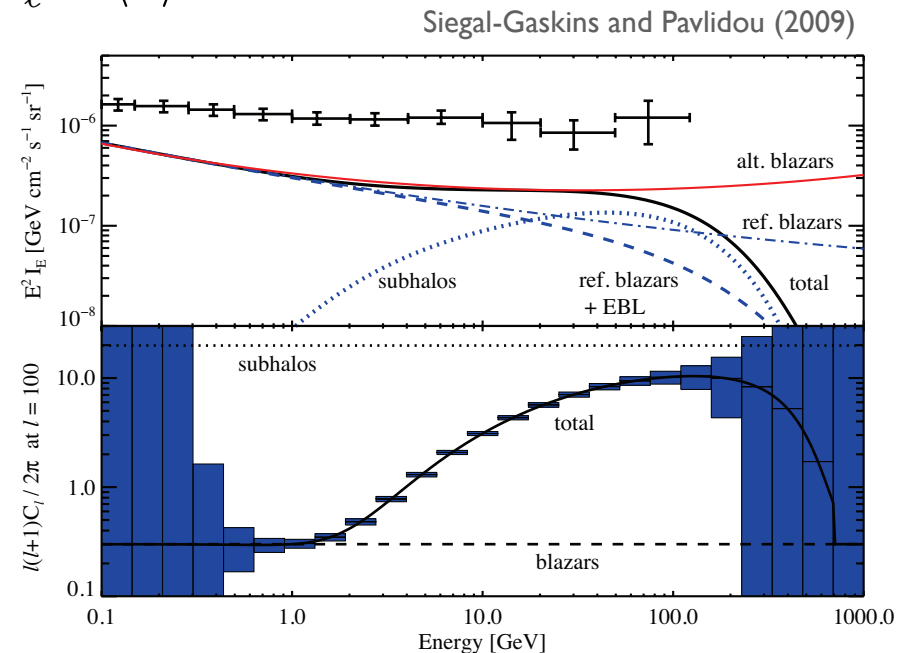
- Intensity APS is a dimension-ful quantity (scaling with energy like  $I^2$ )

$$C_{\ell}^{\text{int}} = C_{\ell}^{\text{fluct}} \langle I \rangle^2$$

- summation rules

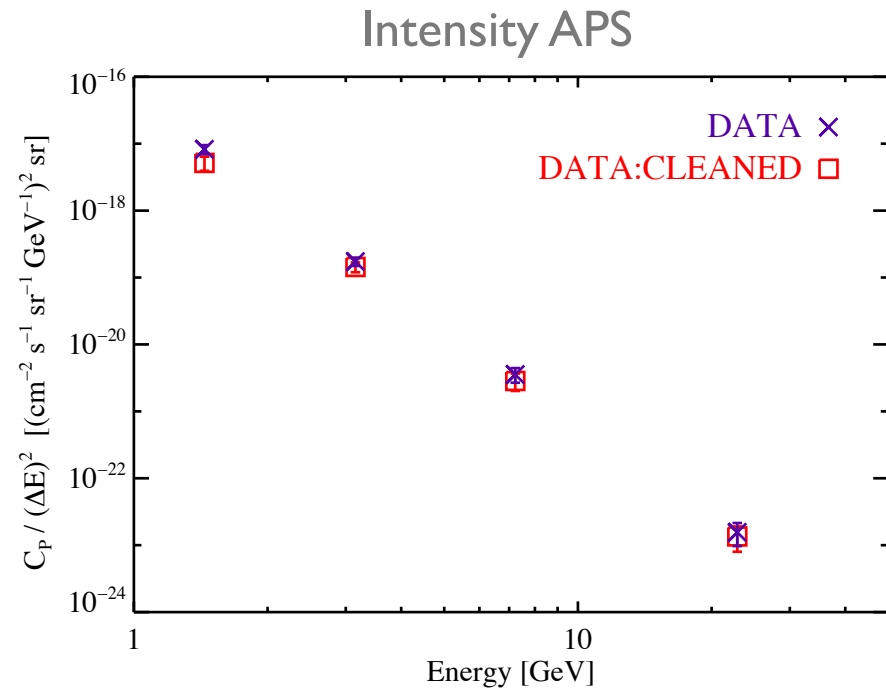
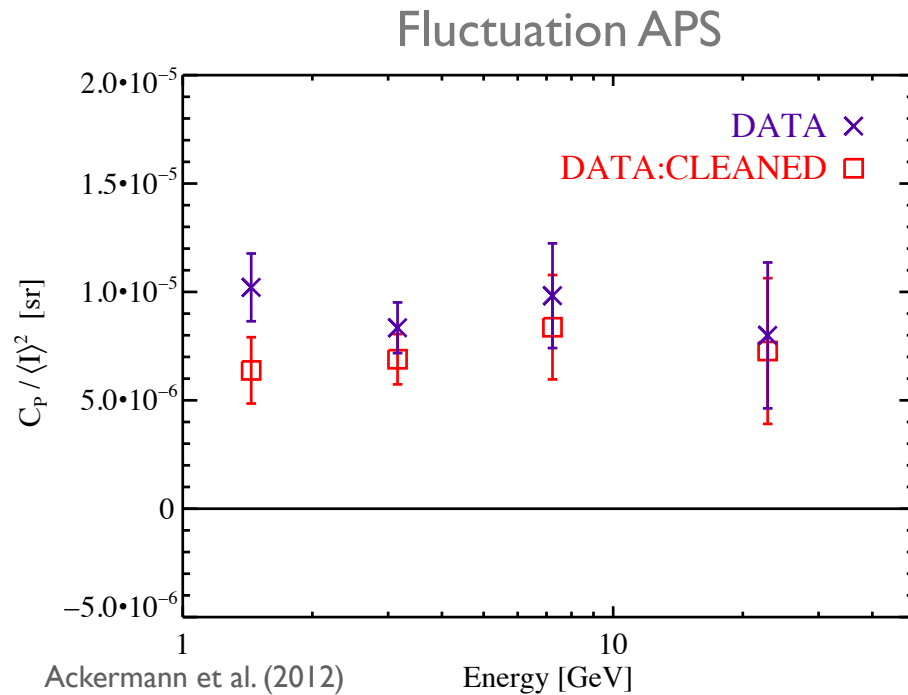
$$C_{\ell}^{\text{int}} = C_{\ell,1}^{\text{int}} + C_{\ell,2}^{\text{int}}$$

$$C_{\ell}^{\text{fluct}} = \frac{\langle I_1 \rangle^2}{\langle I \rangle^2} C_{\ell,1}^{\text{fluct}} + \frac{\langle I_2 \rangle^2}{\langle I \rangle^2} C_{\ell,2}^{\text{fluct}}$$





# Fluctuation vs. intensity APS



# DM-induced emission (extragalactic)

- repetition of Millennium-II simulations boxes to cover a large portion of the Universe
- extrapolation below the mass resolution of Millennium-II (assuming low-mass halos trace the smallest halos in Millennium-II)
- unresolved subhalos accounted for analytic through a fit to  $P(\rho, r)$

Zavala et al. (2010)

